Feature-based Magnitude Estimates for Small, Nearby Earthquakes in the Yellowstone Volcanic Region

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INTRO

 Conventional magnitude methods can fail or be prohibitively time consuming during periods of high seismicity rates, such as the many earthquake swarms in the Yellowstone volcanic region.

• We introduce a machine learning method that uses features derived from short-duration waveform segments of individual phase arrivals and event source parameters to predict local magnitude (M_{i}) .

KEY POINTS

Our approach:

- accurately estimates M, for ~0–3.5
- works for events with small temporal separation
- estimates network *M*, using single stations
- does not require 3C broadband stations for M,
- is easily interrogated, updated, and modified
- maintains consistency with the UUSS catalog
- requires the event location

• can utilize the many phase arrivals, particularly S, available in deep-learning enhanced catalogs

DATA

• Model targets: High-quality event M, values from 8,475 earthquakes occurring during 1/10/12–1/1/24 • Model inputs: Features derived from 0.95–1.40 s of pre-arrival noise and 2.55–3.60 s of post-arrival signal

- Separate feature datasets for *P* and *S* arrivals
- Start with 38 frequency-domain, 4 time-domain, and 3 location-based candidate features:

Name	Abbreviation	Equation or explanation	Transform	Туре
Amplitude Ratio	ratio [freq.]	The ratio of the average signal and average noise at the specified corner frequency (freq.) between 1–18 Hz	log10	Time/Freq
Average Amplitude	amp. [freq.]	The average signal at the specified corner frequency between 1–18 Hz	log ₁₀	Time/Freq
Signal Dominant Frequency	sig. dom. freq.	The dominant frequency in Hz of the phase arrival	log10	Freq.
Signal Dominant Amplitude	sig. dom. amp.	The maximum amplitude of the signal dominant frequency	\log_{10}	Freq.
Signal Maximum Amplitude	sig. max. amp.	The difference of the maximum signal amplitude and the minimum signal amplitude	log ₁₀	Time
Noise Maximum Amplitude	noise max. amp.	The difference of the maximum amplitude and the minimum amplitude in the noise window	log ₁₀	Time
Signal Variance	sig. var.	The variance of the signal time series from zero	\log_{10}	Time
Noise Variance	noise var.	The variance of the noise time series from zero	\log_{10}	Time
Source- receiver Distance	distance	The distance from the event epicenter to the receiver in km	log10	Event
Source- receiver Back Azimuth	back az.	The distance from the receiver to the event epicenter in degrees. If using a linear model, the sine is used	sine (if linear model)	Event
Source	depth	The depth of the event in km	-	Event



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Earthouake and station locations in the Yellowstone region

Map of earthquakes with an M_1 (circles) cataloged by the UUSS near Yellowstone National Park (solid gray line). Triangles, diamonds, and inverted triangles show the ocations of stations with a UUSS statio orrection, with only a Holt *et al*. (2022 station correction (YP21), and with no correction, respectively. The UUSS only uses stations with corrections to compute M The station symbol is filled with a dark shade if it has a *P* and *S* model, filled with a light shade if it only has a P model, and filled with black if it has no model.







3.

Using the earthquake location & 4 waveform features we can accurately compute event magnitude during periods of high seismicity rates.

Overview:

1. We extract time and frequency candidate features from short-duration waveform segments around individual *P* and *S* arrivals.





We train a machine learning model for each station to predict local magnitude using the ' selected features.



We use our generalizable approach to **reduce the** number of features from 45 to 7:



O distance, depth & back-azimuth



amplitude/energy - proxies: 3 signal & 1 noise



We average all model predictions to create network magnitudes, which are generally within ~0.13 mu of the actual magnitudes.

METHODS

Training and Testing Datasets

• Use an 80:20 split of all events in the *P*- and S-feature catalogs occurring before 1/1/23 as the training set and **testing set A**.

 Use features computed from events during 1/1/23–1/1/24 as **testing set B**.

• 35 stations in the *P* dataset and 18 in the *S* dataset • \geq 300 *P* station training examples and \geq 150 *S*

Recursive Feature Elimination Algorithm (RFEA) • We use a RFEA that both simplifies and improves the predictive performance of the machine-learning models and limits feature selection bias.



We use a two-step proce in which we first identify the most important features at each station during recursive teature elimination with cross-validation (RFE-CV) and then select a common feature set for all stations We use a decision tree fo the importance estimator and an SVM for the predictor model.





Support Vector Machines (SVM)

• We use an SVM with radial basis function kernel to learn a mapping from the features to M_{i} • We train one model per station-phase pair

• *P*: 35 models, *S*: 18 models

RESULTS

• We generally predict the event M_{i} within ~0.25 mu for individual stations and ~0.13 mu when averaging



• reducing the features from 45 to 7 leads to a small performance increase • our S and network averaged predictions have better agreement with the event M_i values than the original station \dot{M}_i values

We show results for the SVM models ained with the selected 7 features (light) the SVM models trained with all 45 feature ² values of the network averaged (avg. test set predictions are marked by stars for the SVM models. All R^2 values are relative to the event M_{i} .

Residuals (actual – predicted) as a function of M_{i}

• generally perform well for events with $0.0 < M_{1} < 3.5$

• slightly overestimate the smaller magnitudes and underestimate the larger magnitudes, likely due to limited training examples.

• we plan to examine probabilistic machine learning models to remove unreliable predictions

Squares show absolute residuals greater than 0.5 mu (|resid.| > 0.5) for *P*-mode WY.YDC in a, c, and e and for S-model WY.YML in b, d, and f. These two models have anomalously poor performance on testing set B. All other residuals are shown as circles. The boxplots show the distribution of the residuals in 0.5 mu bins

starting at -0.5.